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The mean life for a certain brand of light bulb is 1800 hours with a standard deviation of 150 hours.	
1.	Between what two values is the life of a bulb likely to lie ? 1650 $<\chi<1950$
2.	Of a sample of 1000 bulbs, how many can be expected to have lifetimes between these two values?
3.	What is the probability that a bulb will last longer than 2100 hours? 0.02275
Or ca 4.	r is found to have a mean of 7.4L and a standard deviation of 0.2L. γ(1.7< χ < 7.8) Within what two amounts does the consumption very probably lie? For 40 test runs, how many would be expected to have a consumption of less
	than 7L? 39 test runs
6.	If a test run is chosen at random, what is the probability that the consumption will be more than 7L?
Th 7.	ne mean length of a leaf is 4.5cm with a standard deviation of 1.2cm. What is the probability that a leaf, chosen at random, will measure more than 4.5cm?
8.	In a sample of 1500 leaves, how many would you expect to have a length less than 2.1cm?
9.	What percentage of leaves would you expect to measure between 3.3cm and 8.1cm?
	The arrival time of a train at a major station is based on a mean of 5 p.m. and a andard deviation of 2 minutes. $99\% (3sd)$
10	and the train
1	1. The train is classified as late if it arrives after 5.04 p.m. What is the probability that a train will be late?

12. What is the probability that the train will be late, but will arrive before 5.06p.m.?

(Don't forget to turn the page !)

Rods produced by a machine have a mean length of 65mm and a standard deviation of 3mm.

- 13. Find acceptable limits of length if 2½ % are rejected for being oversize and 2½ % are rejected for being undersized.
- 14. Rejects cost the company 85 cents per rod in wastage. Calculate the cost in wastage in a batch of 1000 rods. 0.05 × 0.85 = \$42.50
- 15. The machine is to be reset so that only ½ % will be rejected for being oversized and ½ % will be rejected for being undersized. If the mean remains the same, what will the new standard deviation be ?

$$\frac{1}{59} = \frac{0.475}{71}$$

$$P(65 \times 71) = 0.475$$

$$\frac{11-65}{5} = 1.96$$

$$= 3 \mid mm$$